

AWEA Wind Resource & Project Energy Assessment Seminar
Overview of Extrapolation Uncertainty

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2

PRESENTATION OUTLINE

- Motivation
 - Measurements
 - Models
 - Log Law
 - Power Law
 - Displacement
 - Stability
 - Ideal Conditions vs. Reality
 - Uncertainty
 - Concluding Remarks
-



MOTIVATION

3

- Wind shear: variation in wind speed and direction (veer) with height
- Why is it important?
 - Available energy in the wind
 - Energy conversion / losses
 - Climatic suitability of turbines
- We can measure and we can model... usually need both
- Wind shear is dynamic:
 - Variation across the swept area of a turbine
 - Spatial variation across project
 - Temporal variation (various time scales...)



MEASUREMENTS

4

- Commonly, multiple on-site met towers
- Sensors at multiple heights (< hub height)
- Measurements used to evaluate the shear profile (2 or 3 levels) and extrapolate to hub height
- Prioritize consistency in anemometry and exposure:
 - Sensor type (avoid vertically varying sensor types)
 - Redundancy (redundant sensors at all levels)
 - Boom lengths and orientation
 - Treatment of data should take into consideration the site-specific configuration...



(North Pole met tower)



MEASUREMENTS

5

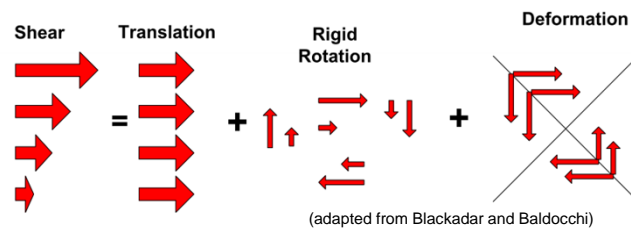
- Remote sensing provides:
 - More / different data (3D profile over swept area)
 - Avoids many of the challenges associated with met towers: (inconsistency in tower effects and sensors)
- Introduces different challenges
 - Volume averaging (not necessarily a disadvantage...)
 - Data recovery bias
 - Beam angle
 - Noise...



MODELS: LOG LAW

6

- Conceptually, shear can be defined as the sum of translation, rigid rotation and deformation



- Momentum is transferred downwards



MODELS: LOG LAW

7

$$u_z = \frac{u_*}{\kappa} \cdot \ln\left(\frac{z}{z_0}\right)$$

u_z is the wind speed at height z

u_* is the friction velocity

κ is the Von Karman constant (usually taken as 0.4)

z_0 is the roughness length

z is the height above the ground

(Prandtl, 1932)



MODELS: LOG LAW

8

$$u(z) = u_{ref} \frac{\ln\left(\frac{z}{z_0}\right)}{\ln\left(\frac{z_{ref}}{z_0}\right)}$$

u_z is the wind speed at height z

z_0 is the roughness length

z is the height above the ground



MODELS: LOG LAW

$$u_z = \frac{u_*}{\kappa} \cdot \left[\ln \left(\frac{z-d}{z_0} \right) \right]$$

u_z is the wind speed at height z

u_* is the friction velocity

κ is the Von Karman constant (usually taken as 0.4)

z_0 is the roughness length

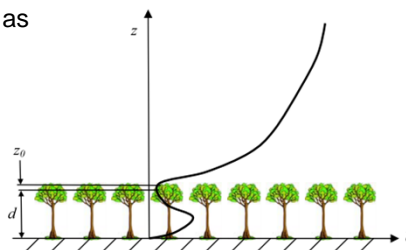
z is the height above the ground

d is the displacement height



DISPLACEMENT HEIGHT

- Shear profile “displaced” to a virtual ground level by surface features
- Displacement (d) can be estimated as a fraction of feature height:
 - Estimates vary:
 $0.64 h < d < 1.0 h$
 - Depends on the density of the forest
- The value of d shifts the profile, it doesn't change the shape
- What about near the edge of a forest?
 - Can taper the displacement as a function of the distance from the forest



(from Stangroom, 2004)



MODELS: LOG LAW

$$u u_z = \frac{u_*}{\kappa} \cdot \left[\ln\left(\frac{z}{z_0}\right) - \Psi_m\left(\frac{z}{L}\right) \right]$$

u_z is the wind speed at height z

u_* is the friction velocity

κ is the Von Karman constant

z_0 is the roughness length

z is the height above the ground

Ψ_m is a stability function

L is the Monin-Obukhov stability parameter (length)

(Monin and Obukhov, 1954)



STABILITY

→ There are a few formulations for the stability correction

→ Depends on the sign of z/L ...

→ When $z/L = 0$, neutral

$$\Psi_m = \begin{cases} -\beta \frac{z}{L} & \text{for } z/L > 0 \text{ (stable)} \\ 2 \ln\left(\frac{\phi_m^2}{2}\right) - 2 \arctan(\phi_m) + \frac{\pi}{2} & \text{for } z/L < 0 \text{ (unstable)} \end{cases}$$

$$\phi_m = (1 - \gamma z/L)^{1/4} \quad \text{and } \beta = 4.8, \gamma = 19.3$$

$$L = \frac{-\theta_v u_*^3}{gk(\overline{w'\theta'_v})}$$

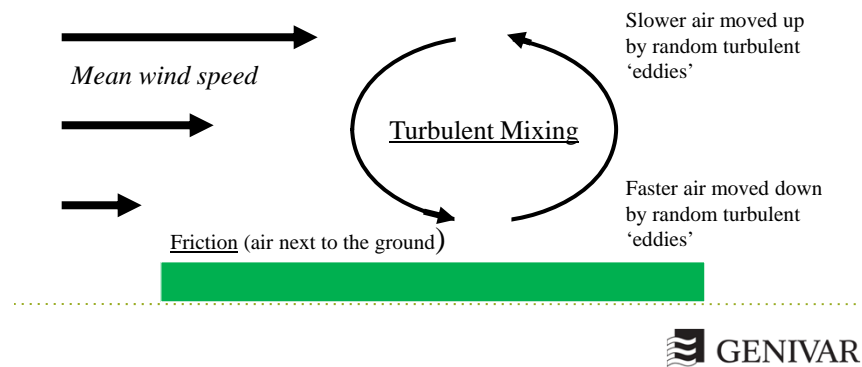
$\overline{w'\theta'_v}$ is sensible heat flux
 u_* is friction velocity (related to momentum transfer)



STABILITY

13

- The sign of L (M-O length) depends on the heat flux (dominance of buoyancy over mechanical effects)
- L is positive if the surface air cools from below (stable)
- L is negative if the surface air cools from above (unstable)



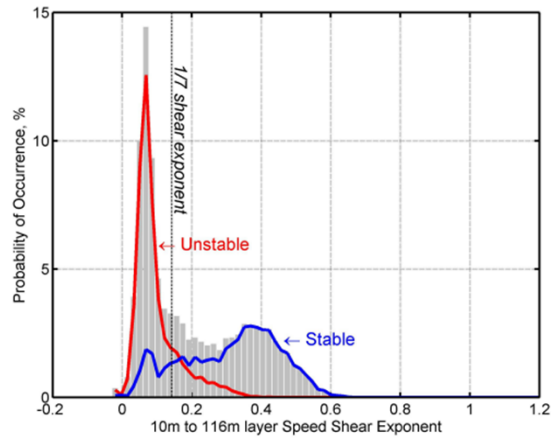
STABILITY

14

- Atmospheric stability reflects the thermal effects on wind flow
- Requires fast response measurements (~10 Hz)
- In wind resource assessment models neutral stability commonly assumed
 - Reasonable assumption given that wind resource assessment most concerned with strong wind conditions
 - Strong winds induce mixing, which reduces thermal effects
- This has some limitations:
 - Sites with a low average wind speed
 - Offshore site
 - Fails to characterize true dynamic characteristics
- Truly neutral conditions are infrequent...

STABILITY

15



(Walter, 2007)



MODELS: POWER LAW

16

$$u_2 = u_1 \cdot \left(\frac{z_2}{z_1} \right)^\alpha$$

u_n is the wind speed at height z_n
 α is the profile exponent (Hellman)
 (Hellman, 1916)

- Convenient but empirical, no theoretical basis
- Profile exponent $\approx 1/7$ in neutral conditions



MODELS: POWER LAW

→ The profile exponent can be related to the roughness length (...roughly):

$$\alpha \cong \left(\frac{1}{\log_e(z_{ref} / z_0)} \right)$$

z_{ref} is the reference height
 z_0 is the roughness length

Terrain	Surface Roughness Length z_0 (m)	Wind Shear Exponent α
Calm sea	0.0002	0.09
Cut grass	0.007	0.14
Short-grass prairie	0.02	0.16
Crops	0.05	0.19
Scattered trees and hedges	0.15	0.24
Trees, hedges, a few buildings	0.3	0.29
Forest	0.5	0.33
Suburbs	1.5	0.53

(based on a reference height of 10 m)

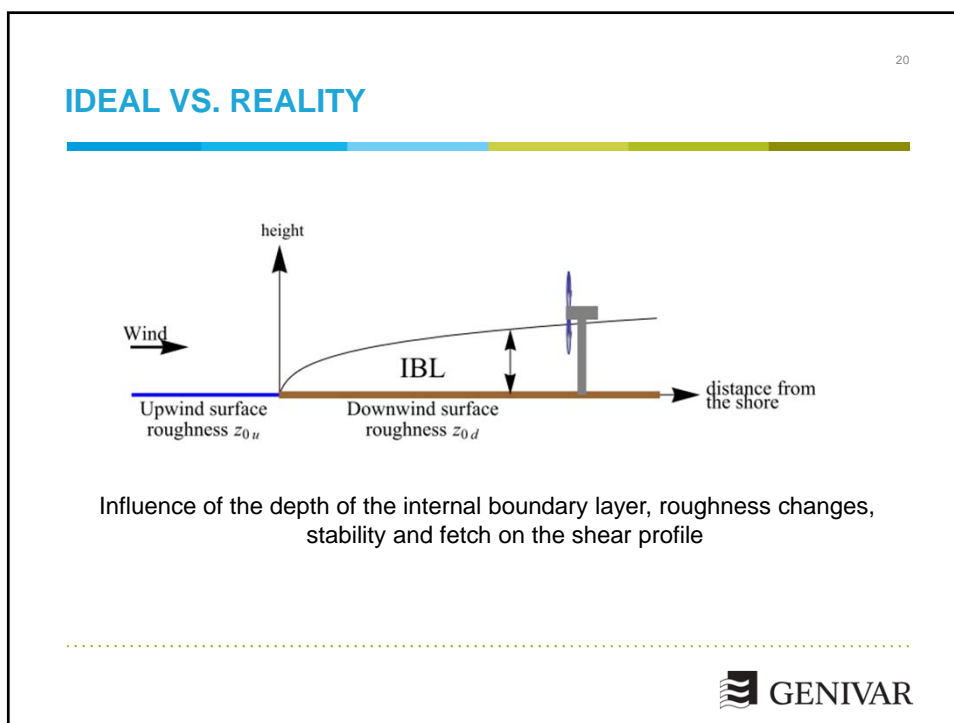
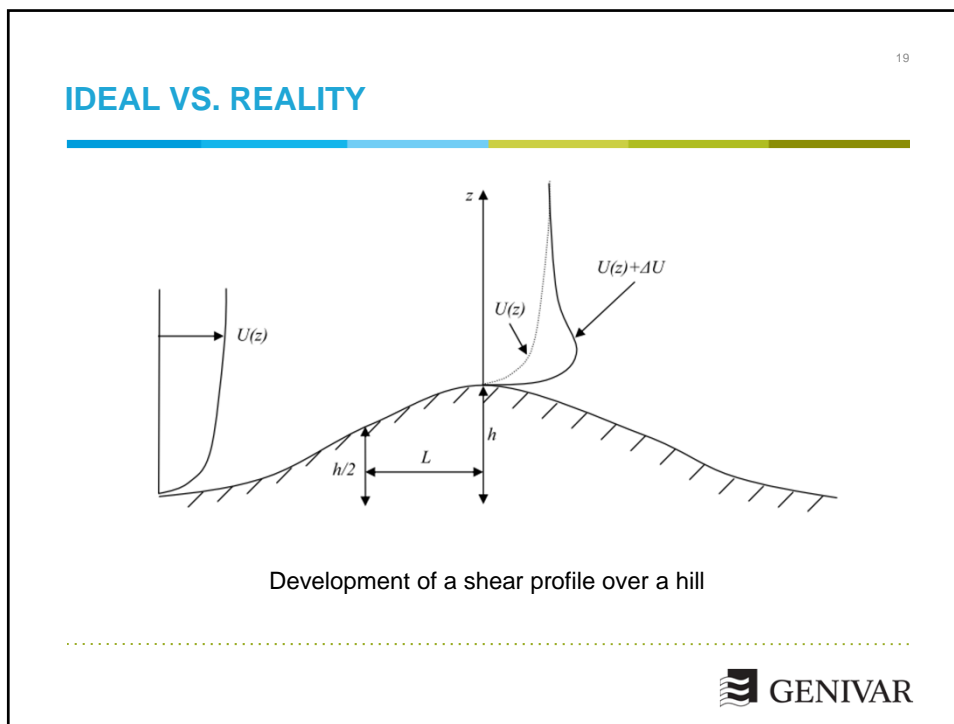


IDEAL VS. REALITY

Other factors that affect the shear profile:

- Terrain
 - Steep slopes
 - Mountain waves
- Low-level jets
 - decoupling of flow during stable conditions (i.e. not affected by the surface)
- Local circulation
 - Heating imbalances such as sea breezes and mountain valley breezes
- Weather fronts
- Roughness changes





SELECTING A MODEL

21



- Validations haven't shown a clear winner...
- Significant variation in how models are applied
- Other models exist... (Deaves and Harris, 1978; Wilson and Flesch, 2004)
- Consider use of data when performing extrapolation (energy estimates, climatic suitability, losses...)



OTHER MODELS

22

- Re-examine last year's shear trial data...
 - Which variables are most influential?
 - Evaluated a variety of different inputs:
 - Lower level shear (50/30)
 - Wind direction
 - Month
 - Wind speed
 - dT/dz
 - dT/dt
 - Turbulence
 - Time of day
- } Surrogates for stability

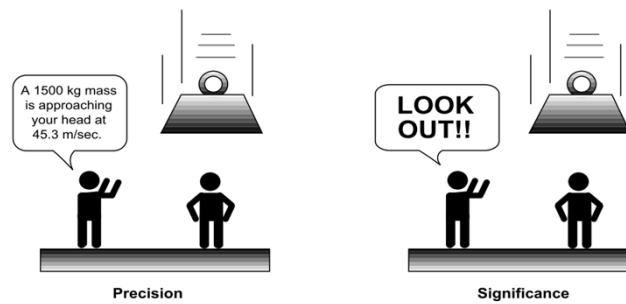


OTHER MODELS

23

Fuzzy Logic

- Can be an efficient way of handling complex problems since it allows for uncertainty / “fuzziness” in relationships (although the name isn’t particularly confidence-inspiring...)



OTHER MODELS

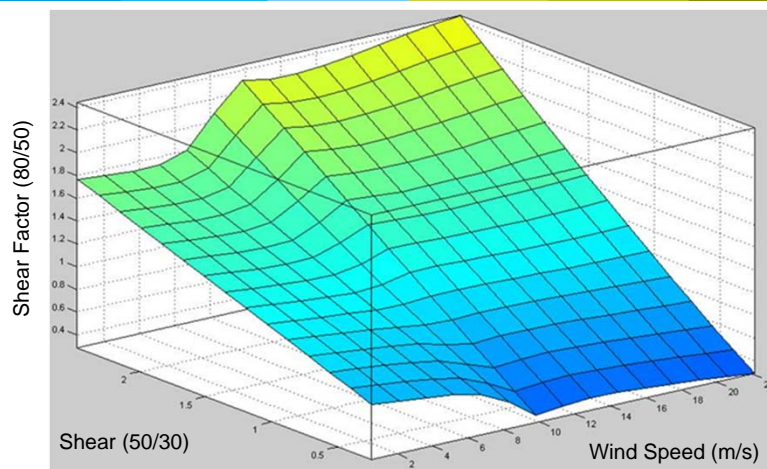
24

- Sub-divide 80 m wind speeds into “training” and “checking” data sets
- Iteratively select input variables in order to determine order of “importance”:
 1. Time of day
 2. Wind speed, Shear
 3. dT/dt , Turbulence
 4. Wind direction
 5. dT/dz
 6. Month

OTHER MODELS

- Variables related to stability were influential
- Results did not show the bias that was prevalent in last year's trial ... but we cheated! (training with 80 m data)
- At this point, technique isn't intended as an extrapolation methodology but rather as a tool for evaluating the inputs
- Can be used to help assess binning of data
- Objectives can be tailored, for example matching of diurnal shear patterns

OTHER MODELS



27

UNCERTAINTY

- In our experience, uncertainty in the shear profile is commonly one of the most significant uncertainty components in a wind resource assessment
- Estimating the uncertainty related to shear is both qualitative and quantitative
- Consider:
 - Uncertainty in measurements (sensors, configuration, data acquisition...)
 - Representativeness of measurements (seasonality, data recovery bias)
 - Consistency of measurements (at a given location and across site)
 - Site complexity (terrain, roughness, meteorological conditions)
 - Distance of extrapolation



28

UNCERTAINTY

- GENIVAR typically performs a sensitivity analysis for the shear profile
- The results of the sensitivity are then used to define an uncertainty distribution
- Generally, the uncertainty estimate increases with stronger shear
- The estimated standard uncertainty (from the sensitivity) commonly corresponds to approximately 1/3 of the magnitude of the profile exponent

Profile Exponent	Top Height (m)	Hub Height (m)	Wind Speed Uncertainty
0.20	40	80	4.5%
0.20	50	80	3.1%
0.20	60	80	1.9%
0.14	60	80	1.3%
0.28	60	80	2.6%



CONCLUDING REMARKS

- There are a variety of models used to extrapolate wind speeds to hub height (more on this...)
- Wind flow models include implementations that incorporate effects of terrain, roughness and stability
- Models should be calibrated/validated using measured data
- Increasingly challenging as turbines reach further up (and beyond) the surface boundary layer
- Important to evaluate the site-specific uncertainty, this can be a guide for planning the measurement campaign (more on this...)
- As always, data quality is of fundamental importance
- A staged approach to shear assessment could allow us to isolate particular conditions
 - e.g. Neutral stability and solve for the roughness length



Thank You

